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The Development of a Lagrangian Cloud Microphysics Package in HiGrad for the Simulation of PyroCumulonimbus (PyroCb) Clouds Title:

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The Development of a Lagrangian Cloud Microphysics Package in HiGrad for the Simulation of Pyrocumulonimbus (PyroCb) Clouds

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Introduction to HiGrad: High Gradient Model

- Developed at LANL for over 20 years
- Includes several modules and subroutines to model:
 - Clouds
 - Hurricanes
 - Wildfire-atmosphere interactions (when coupled with FIRETEC)
 - Explosives behavior
- Solves compressible Euler equations in 3-space in generalized coordinates

Conservation of mass, momentum, energy:

$$\partial_t \mathbf{u}(x,t) + \partial_x \mathbf{F}(\mathbf{u}(x,t)) = \mathbf{0}, \quad x \in \mathcal{I}, \quad t > \mathbf{0},$$

$$\mathbf{u}(x,0) = \mathbf{u}_0(x), \quad x \in \mathcal{I}, \quad t = \mathbf{0},$$

$$\mathbf{u} = \begin{pmatrix} \rho \\ m \\ E \end{pmatrix} \text{ and } \mathbf{F}(\mathbf{u}) = \begin{pmatrix} m \\ \frac{m^2}{\rho} + p \\ \frac{m}{\rho}(E+p) \end{pmatrix}$$

and

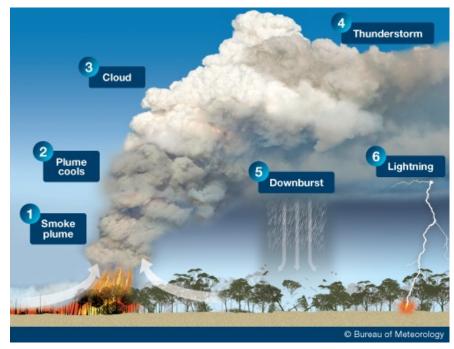
$$\mathbf{u}_0(x) = \begin{pmatrix} \rho_0(x) \\ m_0(x) \\ E_0(x) \end{pmatrix}$$

Equation of State:

$$p = (\gamma - 1) \left(E - \frac{m^2}{2\rho} \right)$$

Pyrocumulonimbus (PyroCb) Clouds

- Form by condensation of intensely heated, rising air becoming saturated due to adiabatic cooling
 - Lifting provided by buoyancy due to heat + moisture from fire + latent heat release from phase change
- Extent of pyroCb development depends on atmospheric stratification + ambient moisture + fire fluxes of heat and moisture
- Can produce lightning and precipitation
- Intense updrafts can carry significant quantities of smoke and aerosols into stratosphere

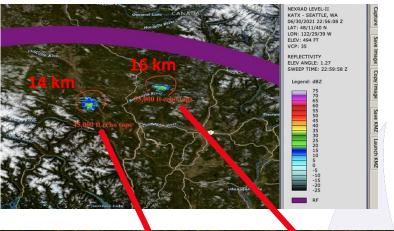


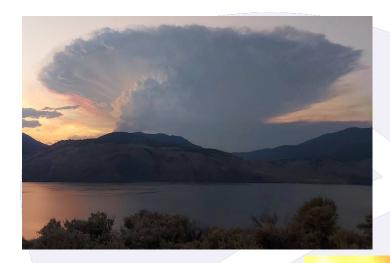
https://media.bom.gov.au/social/upload/images/pyrocumulus_Blog.png



Why do we want to model PyroCbs?

Motivation: Sparks Lake Fire, BC









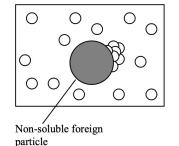


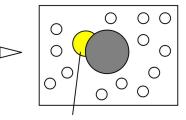
Important to be able to capture microphysical processes in our numerical simulations to more accurately depict and study these phenomenon



Cloud Microphysics Overview

Heterogeneous Nucleation: water condenses onto micron and sub micron aerosol particles in the atmosphere that serve as "condensation nuclei"



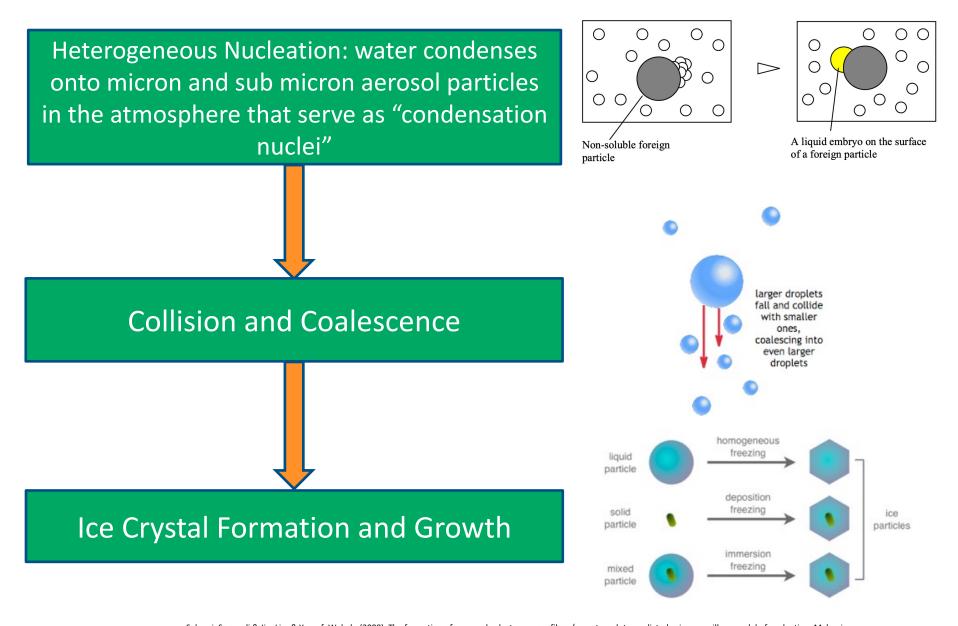


A liquid embryo on the surface of a foreign particle



Cloud Microphysics Overview

https://bertram.chem.ubc.ca/ice-nucleation/





Cloud Microphysics Overview

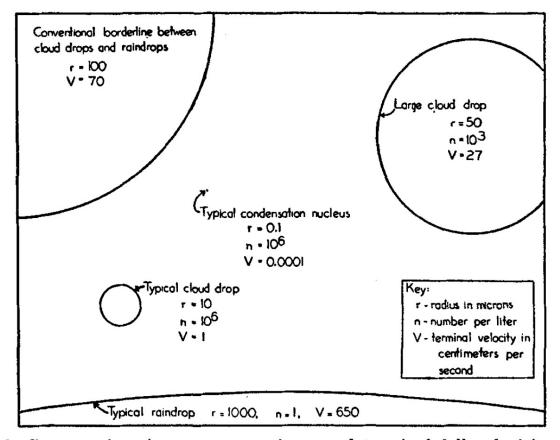


Fig. 2. Comparative sizes, concentrations, and terminal fall velocities of some particles involved in condensation and precipitation processes. Note particularly the great difference in radius of a typical cloud drop and of a typical raindrop.



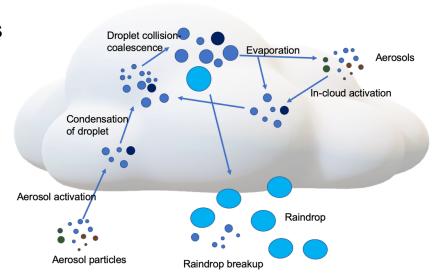
Statement of Research Problem and Goals

- Modeling development of clouds and precipitation processes involves sub-centimeter scale referred to as cloud microscale
- Most atmospheric models apply Eulerian approach for clouds with thermodynamics variables
- Most common and efficient method used today is Lagrangian Cloud Model (LCM)
 - Eulerian flow-field + Lagrangian framework to capture microphysics



Statement of Research Problem and Goals

- Implement Lagrangian Cloud Model within HiGrad that can simulate the following microphysical cloud processes within a pyroCb event:
 - Aerosol (soot) production and tracking
 - Condensation of water onto aerosols as they rise
 - Evaporation of water droplets
 - Collision/coalescence of water droplets
 - Ice nucleation
 - Raindrop breakup

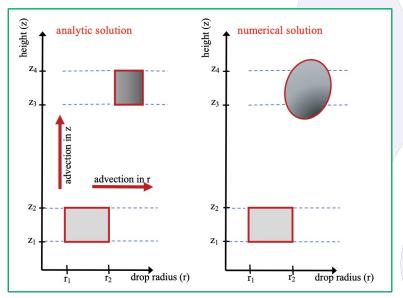




Why Lagrangian Cloud Microphysics

Classic Eulerian Approach

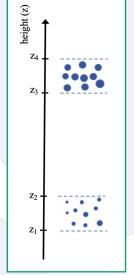
- Explicitly model evolution of particle size/mass distributions
- Numerical diffusion leads to unphysical broadening of particle size distributions
- Increasing complexity of microphysical interactions has not shown convergence of model results



Lagrangian Approach

- Combine group of cloud droplets with same properties into a superdroplet; track specific superdroplet's evolution in time
- No numerical diffusion because transport in physical space and growth of droplets calculated individually using ODEs

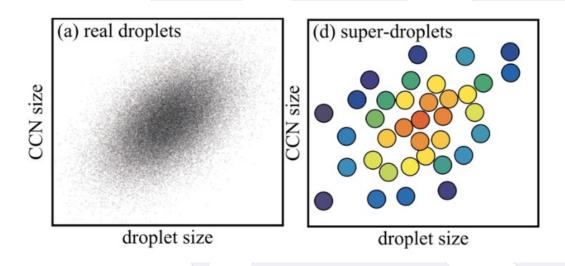
 Simulates relationship between aerosol and cloud droplet number concentration with accuracy compared to observed data





Lagrangian Cloud Microphysics

- Superdroplet Method (SDM): combines group of cloud droplets with same properties into a superdroplet (SD)
- Ensemble of SDs traced in physical space using model-predicted flow field and grown or shrink as they move with the flow
- SDs experience all cloud microphysical processes in the model





The Lagrangian Cloud Model: Activation + Condensation

Background aerosol: condensation nuclei not particularly of interest

Activation criteria: initialized as r = 1 micron superdroplets and immediately start growing

Condensation:

$$\frac{dr}{dt} = \frac{GSF}{r}$$

$$G=rac{1}{F_k+F_d}$$
 $F_k=\left(rac{l_v}{R_vT}-1
ight)rac{l_v}{qT}$ Heat conduction term $F_d=rac{R_vT}{De_S(T)}$ Vapor diffusion term

$$D = (0.015T - 1.93)$$
 Diffusivity of water vapor

$$e_S(T) = 6.112 e^{rac{17.67T}{T+243.5}}$$
 Saturation vapor pressure

$$S = rac{q_v}{q_{vs}} - 1$$
 Supersaturation

$$F$$
 Ventilation Factor (\sim 1)

_	
R_v	Moist gas constant
q	Thermal conductivity of moist air
Т	Temperature
l_v	Latent heat of vaporization
q_v	Water vapor mixing ratio
q_{vs}	Saturation water vapor mixing ratio

The Lagrangian Cloud Model: Activation + Condensation

Source aerosol: organic carbon and black carbon (soot)

Activation criteria: initialized as r = 100 nanometer superdroplets and start growing based on κ

Condensation:

$$r\frac{dr}{dt} = \frac{D_{eff}}{\rho_w}(q_v - q_{vs}a_w(r, r_d, \kappa)exp\left(\frac{A}{r}\right))$$

Effective Diffusion term:

$$\frac{1}{D_{eff}} = (D\rho_d)^{-1} + K^{-1}q_{vs}\frac{l_v}{T} \left(\frac{l_v}{R_vT} - 1\right)$$

Kohler term:

$$A = \frac{2\sigma_w}{R_v T \rho_w}$$

Water activity:

$$A = \frac{2\sigma_w}{R_v T \rho_w} \qquad a_w(r, r_d, \kappa) = \frac{r^3 - r_d^3}{r^3 - r_d^3 (1 - \kappa)}$$

$ ho_w$	Density of liquid water
ρ_d	Density of dry air
D	Diffusivity of water vapor
K	Heat conduction term
Т	Temperature
l_v	Latent heat of vaporization
q_v	Water vapor mixing ratio
r	radius
r_d	Dry radius
κ	Hygroscopicity parameter
q_{vs}	Saturation water vapor mixing ratio
$\sigma_{\!\scriptscriptstyle W}$	Surface tension of water
R_v	Moist gas constant

The Lagrangian Cloud Model

Background aerosol + Source aerosol

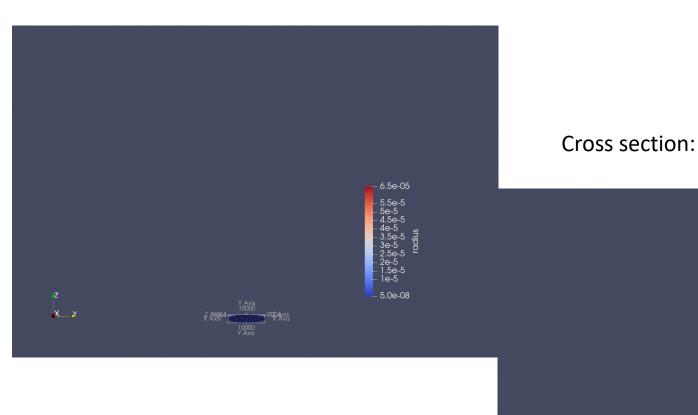
Evaporation criteria: (performed every timestep, for every superdroplet)

If
$$\frac{r_w - r_d}{r_d} < 0.01$$
 , then evaporate

Multiplicity (m) values: how many real particles represented by superdroplet

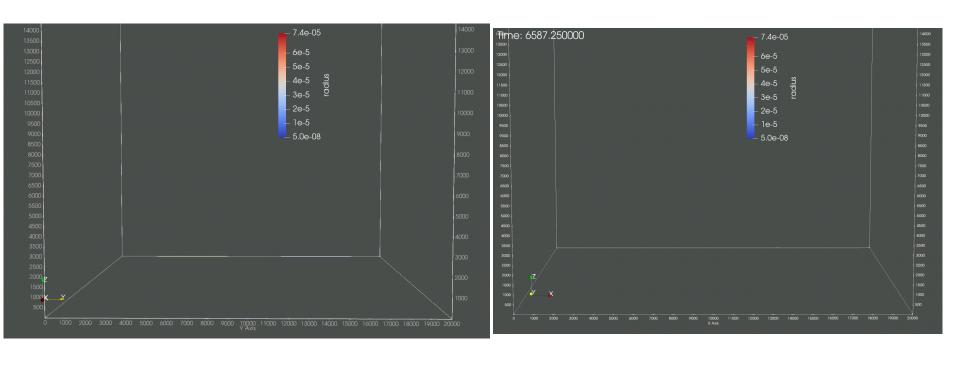
$$9x10^{12} < m < 2x10^{14}$$

The Lagrangian Cloud Model Preliminary Results: Activation, Condensation, Evaporation



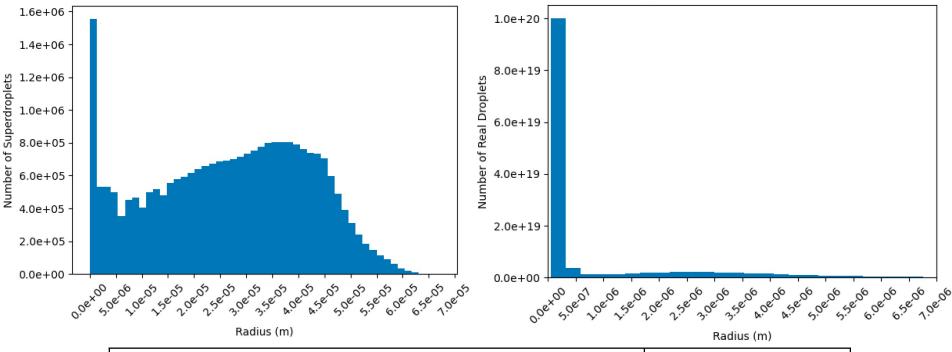


The Lagrangian Cloud Model Preliminary Results: Particle Tracking





The Lagrangian Cloud Model Preliminary Results: Particle Size Distribution

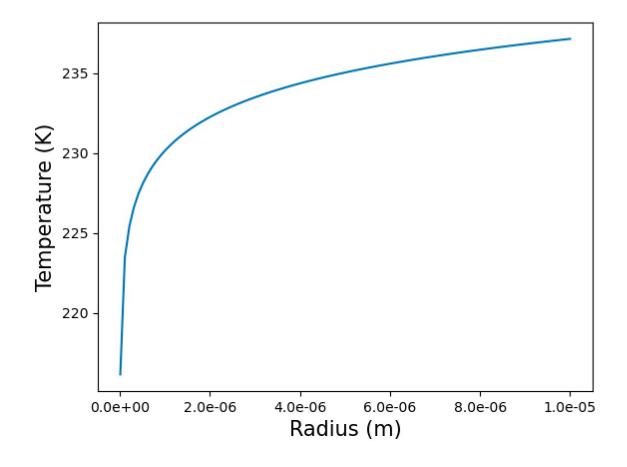


Measurements from Literature	Cloud Droplet Diameter
2002 Amazon Deforestation Fires, Martins and Dias(2009)	< 30 microns
2018 Western US Fire Season, Twohy et al.(2021)	5 - 7 microns
2002 Amazon Deforestation Fires, Andreae et al.(2004)	< 40 microns
WRF Simulation Idealized Supercells, Kalina et al.(2014)	< 18 microns
WRF Simulation Deep Convective Systems in China, Xie et al.(2013)	5.5 - 9 microns
WRF Supercell Storm Simulation, Lim et al.(2011)	5 - 25 microns
Measurements of Supercell Thunderstorm in Montana, Musil et al.(1986)	< 30 microns



Next Step: Ice Microphysics

Implement freezing of liquid cloud droplets according to





Future Work

- Ice microphysics
 - Important for initiation of precipitation
- Collision/Coalescence of droplets
 - Important for the formation of rain droplets
- Raindrop breakup
 - Important for modeling precipitation
- Soot liquid water content (LWC) for atmospheric chemistry applications
- Simulation of Sparks Lake Fire from BC 2021 Fire Season with all microphysical processes



Thanks! Questions?

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The Lagrangian Cloud Model: Activation + Condensation

Source aerosol: organic carbon and black carbon (soot)

Activation criteria: initialized as r = 100 nanometer superdroplets and start growing based on κ

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Effective Diffusion term:

Latent heat of vaporization:

$$\frac{1}{D_{eff}} = (D\rho_d)^{-1} + K^{-1}q_{vs}\frac{l_v}{T}\left(\frac{l_v}{R_vT} - 1\right) \qquad l_v(T) = l_{v0} + (c_{pv} - c_1)(T - T_0)$$

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Kohler term:

$$A = \frac{2\sigma_w}{R_v T \rho_w}$$

$$A = \frac{2\sigma_w}{R_v T \rho_w} \qquad a_w(r, r_d, \kappa) = \frac{r^3 - r_d^3}{r^3 - r_d^3 (1 - \kappa)}$$

Diffusivity of water vapor:

$$D = D_0 \frac{1 + \frac{\lambda_D}{r}}{1 + 1.71 \cdot \frac{\lambda_D}{r} + 1.33 \cdot \left(\frac{\lambda_D}{r}\right)^2} \qquad \lambda_D = 2D_0 (2R_v T_w)^{-\frac{1}{2}}$$

$$\lambda_D = 2D_0(2R_v T_w)^{-\frac{1}{2}}$$

Heat conduction term:

$$K = K_0 \frac{1 + \frac{\lambda_K}{r}}{1 + 1.71 \cdot \frac{\lambda_K}{r} + 1.33 \cdot \left(\frac{\lambda_K}{r}\right)^2} \qquad \lambda_K = \frac{4}{5} K_0 \frac{T}{p} (2R_d T)^{-\frac{1}{2}}$$

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